

۱- گزینشی (KVL) صحیح است.

$$v_1 = -r(2v_1 + v_r) \Rightarrow \underline{\Delta v_1 = -2v_r}$$

KVL $v_r = r(2v_1 - v_r + i_s) + v_1$

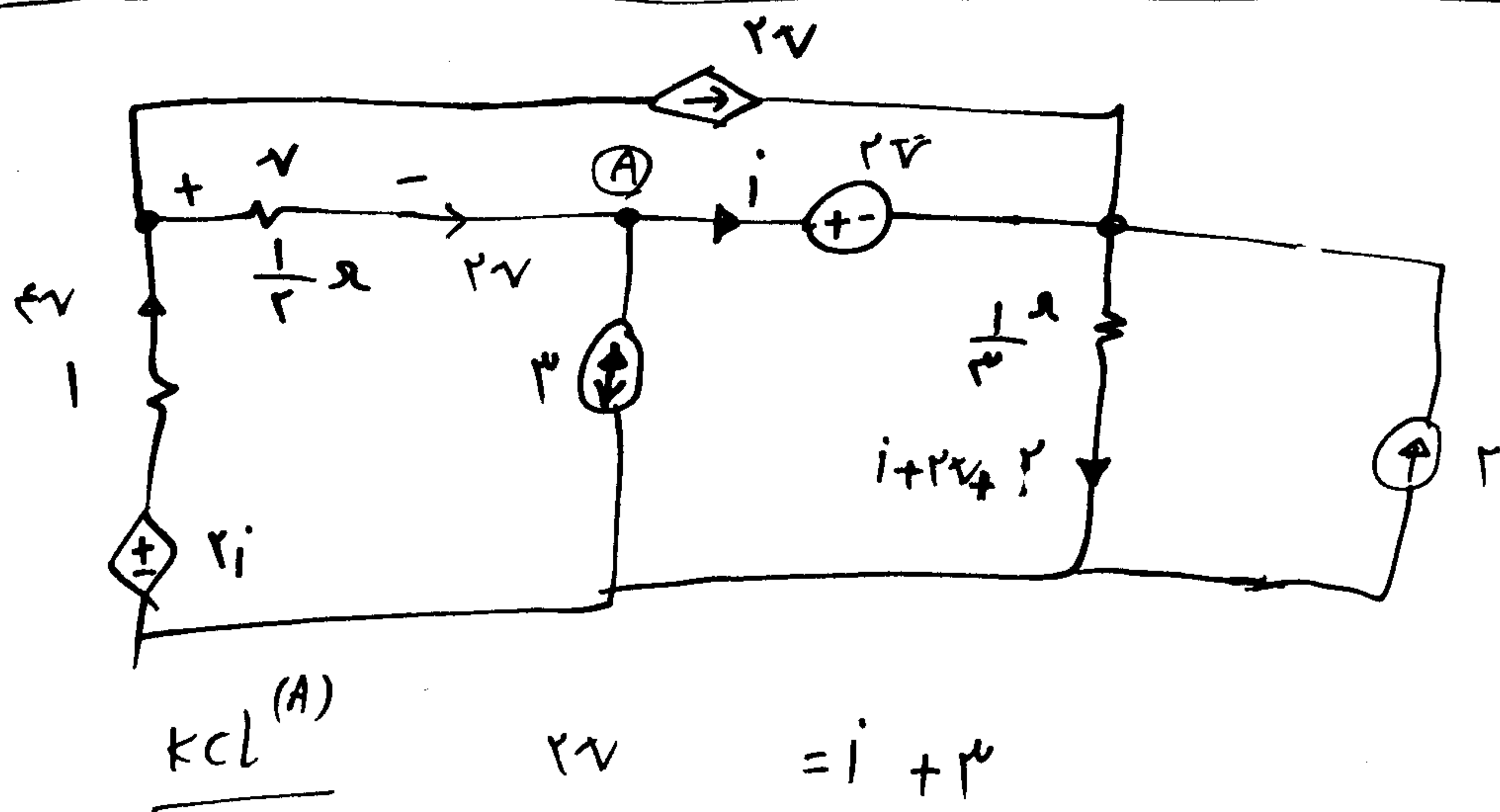
$$2v_r = \Delta v_1 + r i_s = -2v_r + r i_s \Rightarrow \underline{v_r = \frac{r}{4} i_s}$$

$$P(t) = -v_1 \cdot 2v_r = \frac{r}{2} v_r v_r = \frac{r}{2} v_r^2 = \frac{r}{2} \left(\frac{r}{4} i_s\right)^2$$

$$P(t) = \frac{16}{125} i_s^2 = \frac{16}{125} (25 \cos^2 \pi t) = \frac{16}{5} (1 + \cos(2\pi t)) = \frac{16}{5} (1 + \cos(2\pi t))$$

$$W(0, 10) = \int_0^{10} P(t) dt = \int_0^{10} \frac{16}{5} (1 + \cos(2\pi t)) dt = \frac{16}{5} (10) = 32 \text{ J}$$

۱۶ ژول انرژی همگردد.



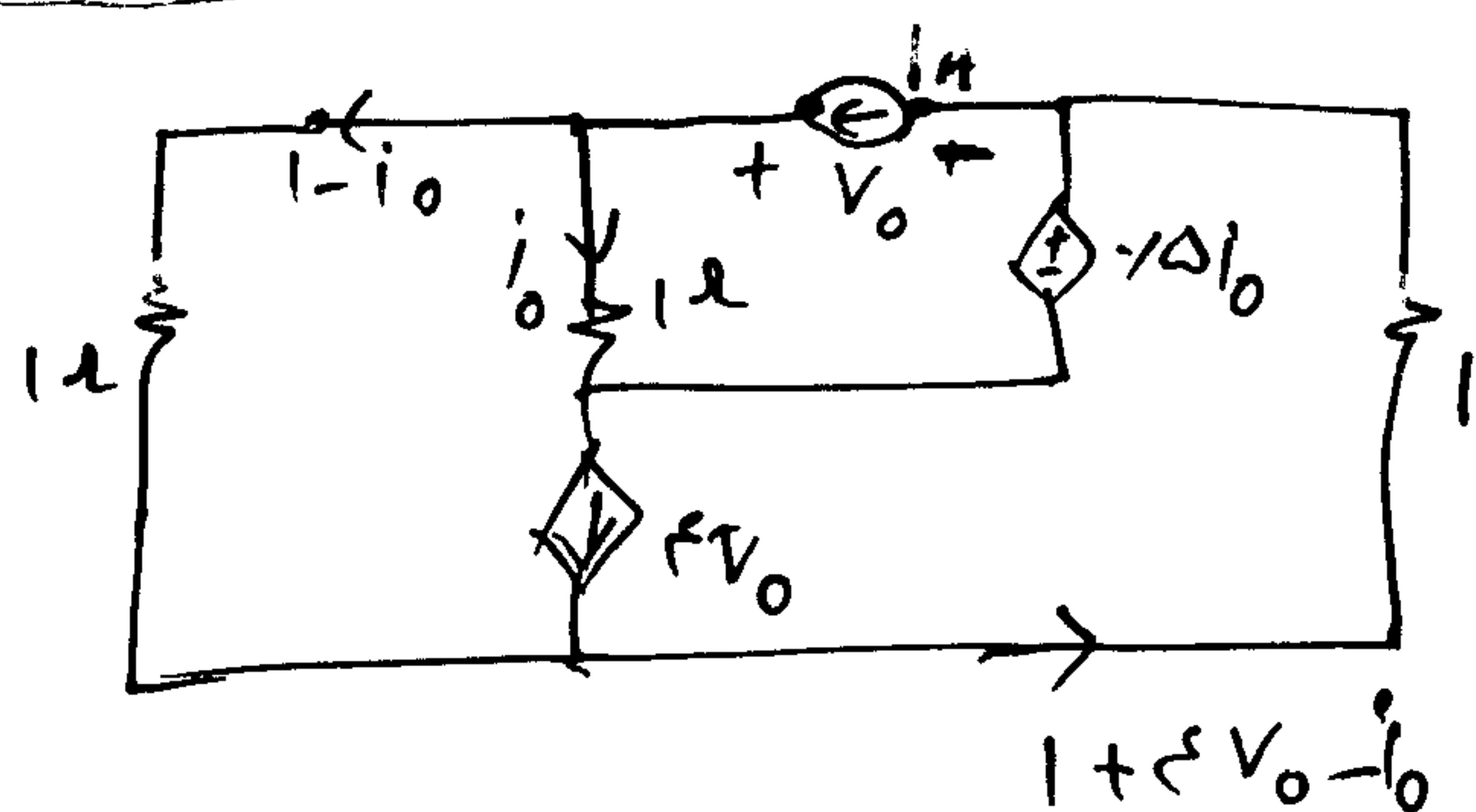
۲- گزینشی (KCL) صحیح است.

KCL (A) $2v = i + 2$

KVL $2i = 1(4V) + v + 2 + \frac{1}{3}(i + 2v - 2)$

$$2i = 4 + v + 2 + \frac{1}{3}(i + 2v - 2) \Rightarrow \Delta i = 14v + 10 \Rightarrow \Delta(2v - 2) = 14v + 10$$

ولن $v = -\frac{23}{12}$

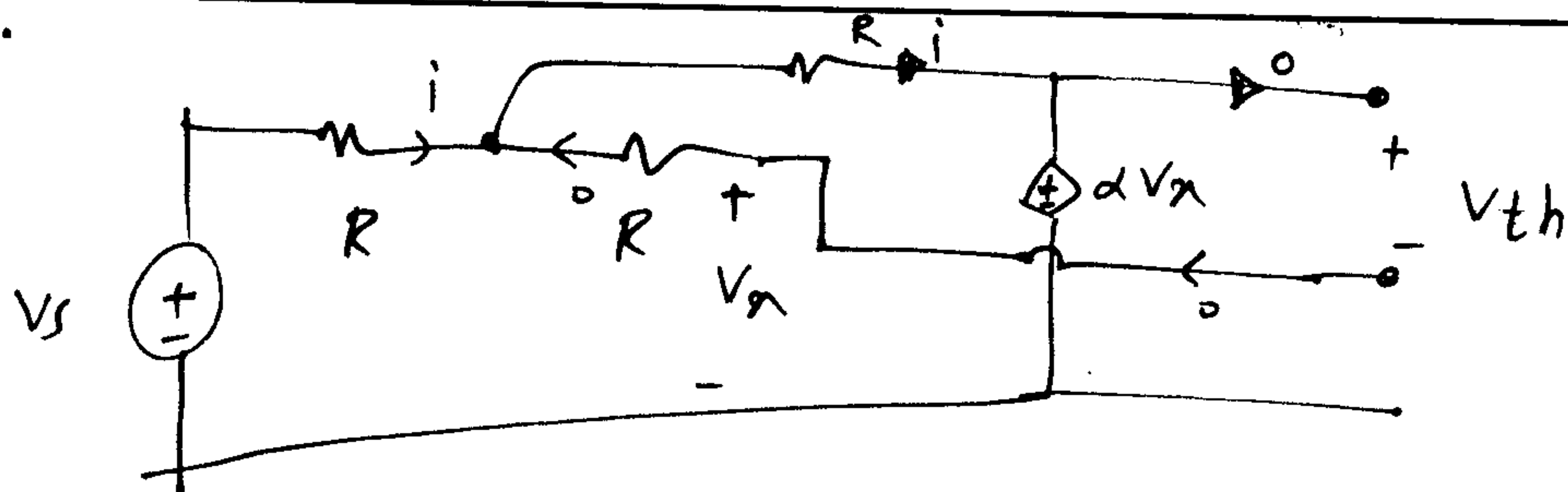


۳- گزینشی (KVL) صحیح است.

KVL $v_0 = i_0 - 15i_0 = -14i_0$

KVL $v_0 = 1(1 - i_0) + 1(1 + 4v_0 - i_0)$

$$2v_0 = 2i_0 - 2 = 2(2v_0) - 2 \Rightarrow v_0 = 2 \Rightarrow R_{th} = 12 \Rightarrow R = R_{th} = 12$$



۴- تزیینی (معادل است)

KVL . $Ri + V_{th} + R(0) = 0 \Rightarrow V_{th} = - Ri$

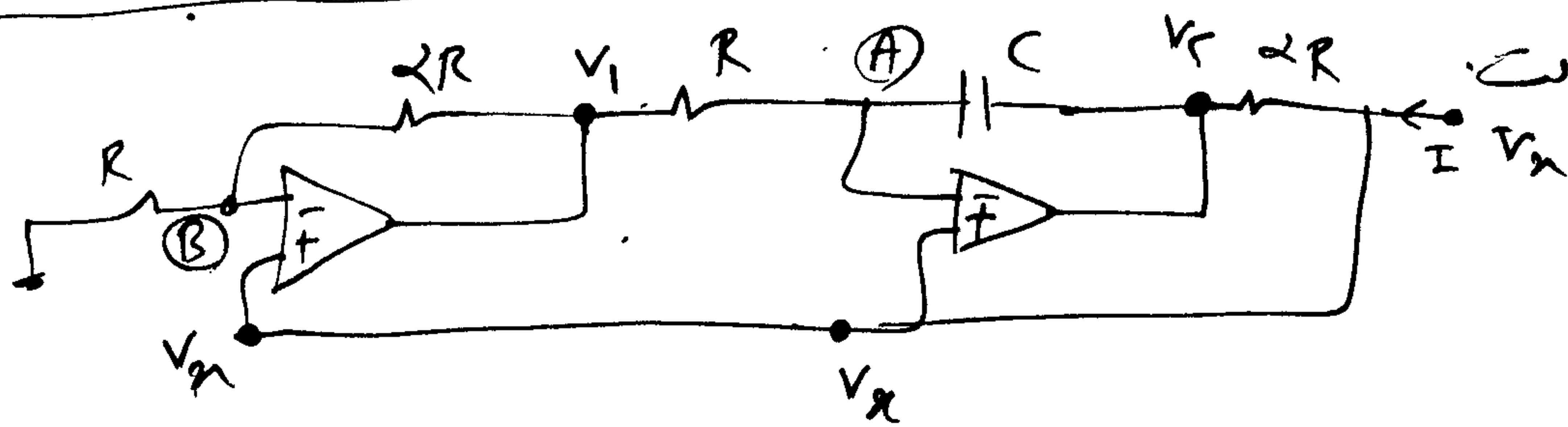
KVL $V_s = \gamma Ri + \alpha V_x$ KVL $V_s = Ri - R(0) + V_x$

$\Rightarrow V_x = V_s - Ri$

$V_s = \gamma Ri + \alpha V_x = \gamma Ri + \alpha (V_s - Ri) \Rightarrow (\gamma - \alpha) Ri = (1 - \alpha) V_s$

$V_{th} = - Ri = - \frac{(1 - \alpha) V_s}{\gamma - \alpha} = \frac{\alpha - 1}{\gamma - \alpha} V_s$

$|V_{th}| < \infty \Rightarrow \left| \frac{\alpha - 1}{\gamma - \alpha} V_s \right| < \infty \Rightarrow \alpha \neq \gamma$



۵- تزیینی (معادل است)

KCL ^B $\frac{V_1 - V_n}{\alpha R} = \frac{V_n}{R} \Rightarrow V_1 = \frac{\alpha + 1}{\alpha} V_n$

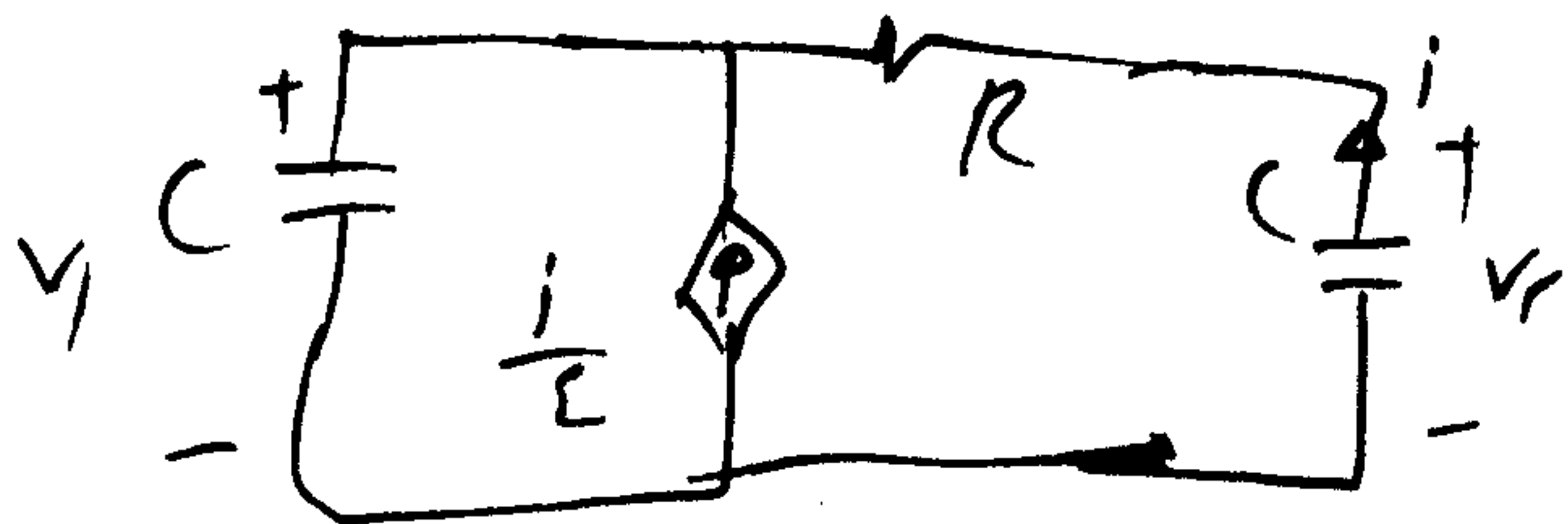
KCL ^A $\frac{V_1 - V_n}{R} = (V_n - V_x) CS \Rightarrow \frac{V_n(1 + \alpha) - V_n}{R} = CS(V_n - V_x)$

$\alpha V_x = RCS V_n - RCS V_x \Rightarrow V_x = V_n - \frac{\alpha}{RCS} V_n$

$I = \frac{V_n - V_x}{\alpha R} = \frac{V_n - (V_n - \frac{\alpha V_n}{RCS})}{\alpha R} = \frac{V_n}{RCS} \Rightarrow Z_{in} = \frac{V_n}{I}$

$Z_{in} = RCS = LcS \Rightarrow Lc = RC$

ع- ترانسفر صیغ است.



KCL $Cv_1' + Cv_2' = \frac{1}{\epsilon}$ و $i = -Cv_2'$

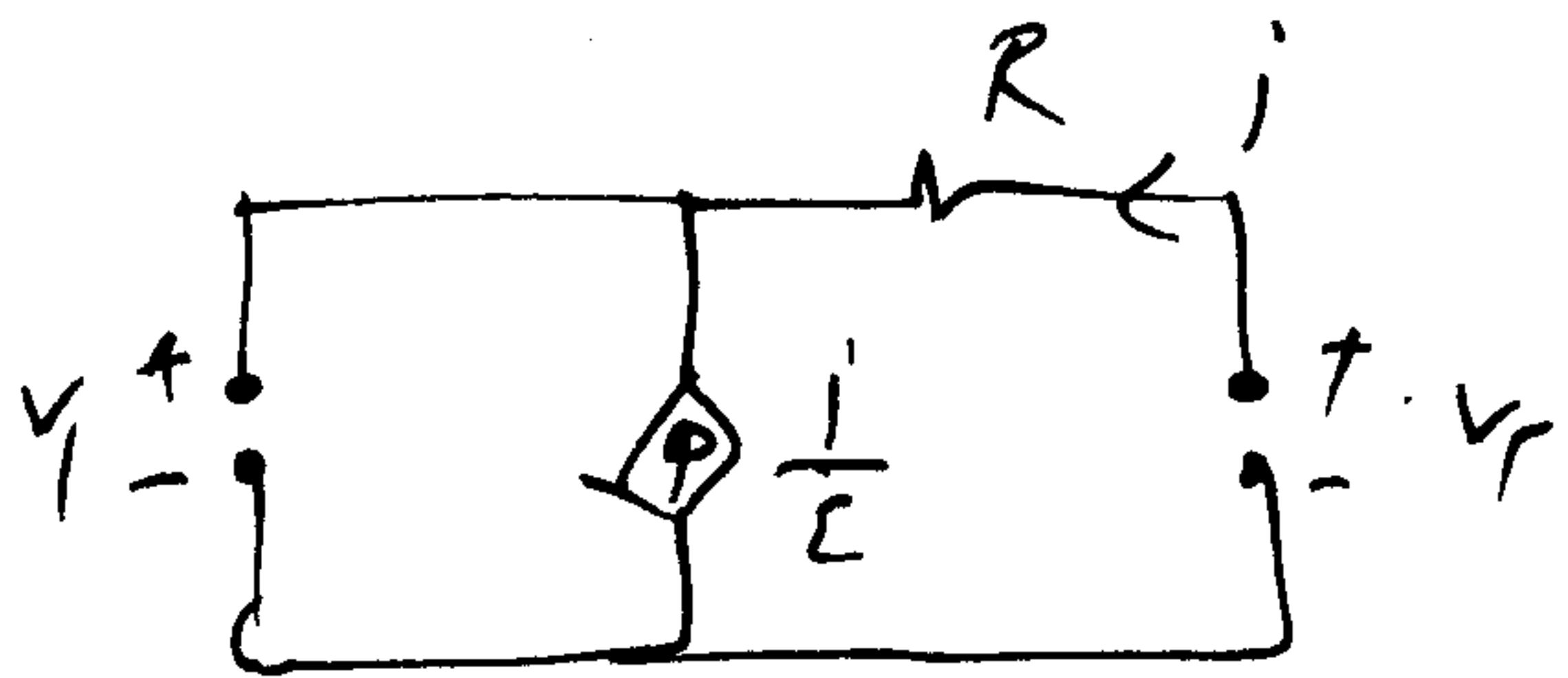
$$Cv_1' + Cv_2' = -\frac{Cv_2'}{\epsilon} \Rightarrow v_1' = -\frac{\epsilon}{\epsilon} v_2'$$

$$v_1(t) - v_1(0) = -\frac{\epsilon}{\epsilon} (v_2(t) - v_2(0))$$

$$v_1(t) - 1/75 = -\frac{\epsilon}{\epsilon} (v_2(t) - 3) \Rightarrow \epsilon v_1(t) - 2 = -5v_2(t) + 15$$

$$\epsilon v_1(t) + 5v_2(t) = 18$$

در $t = \infty$ مطابق شکل زیر فازها صاف می‌شوند. لذا:

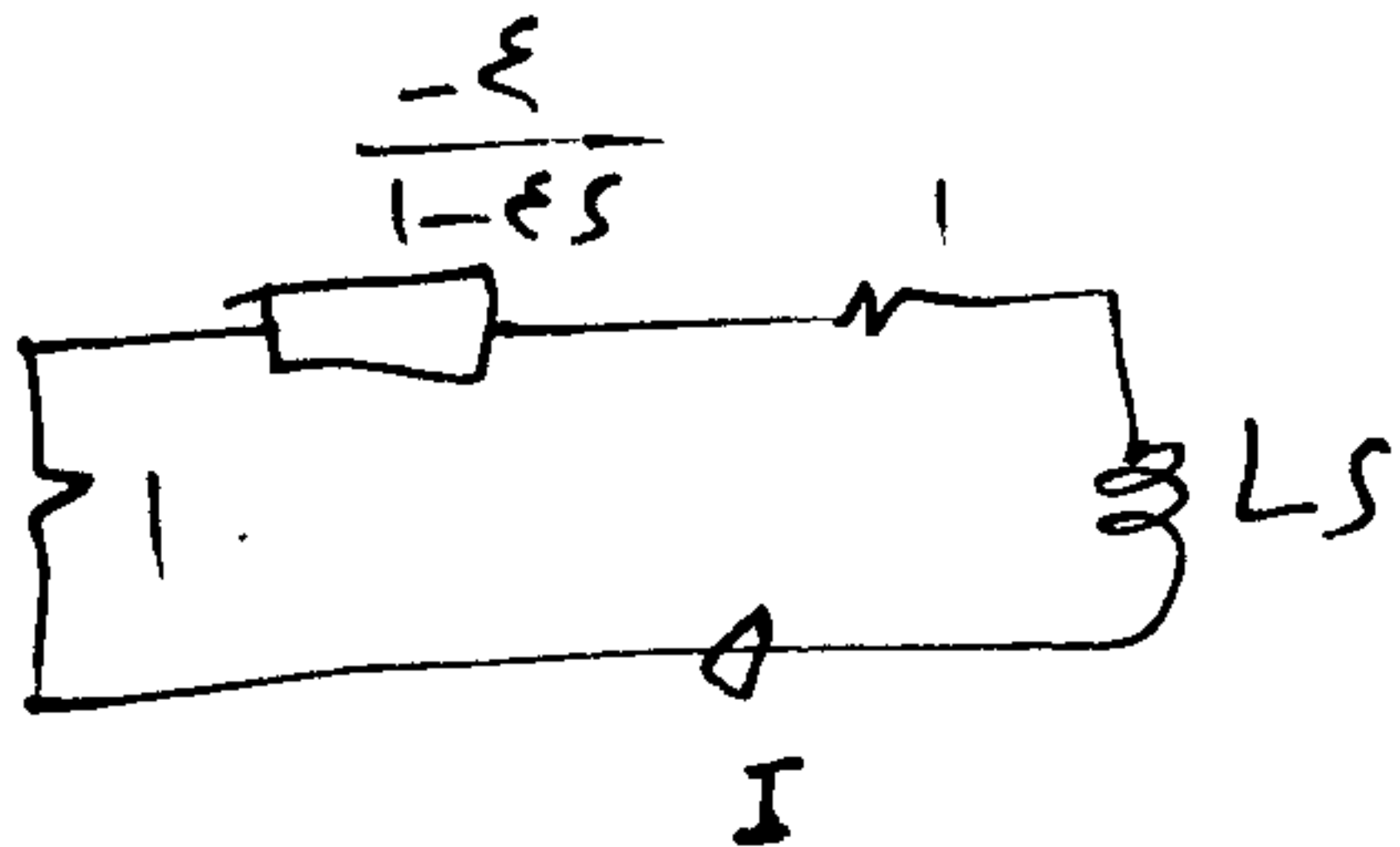


$$i = 0 \Rightarrow v_1(\infty) = v_2(\infty)$$

$$\epsilon v_1(\infty) + 5v_2(\infty) = 18 \Rightarrow 9v_2(\infty) = 18$$

$$v_1(\infty) = v_2(\infty) = 2$$

۷- ترانسفر صیغ است.



$$(Ls + 2 - \frac{\epsilon}{1-\epsilon s}) I = 0$$

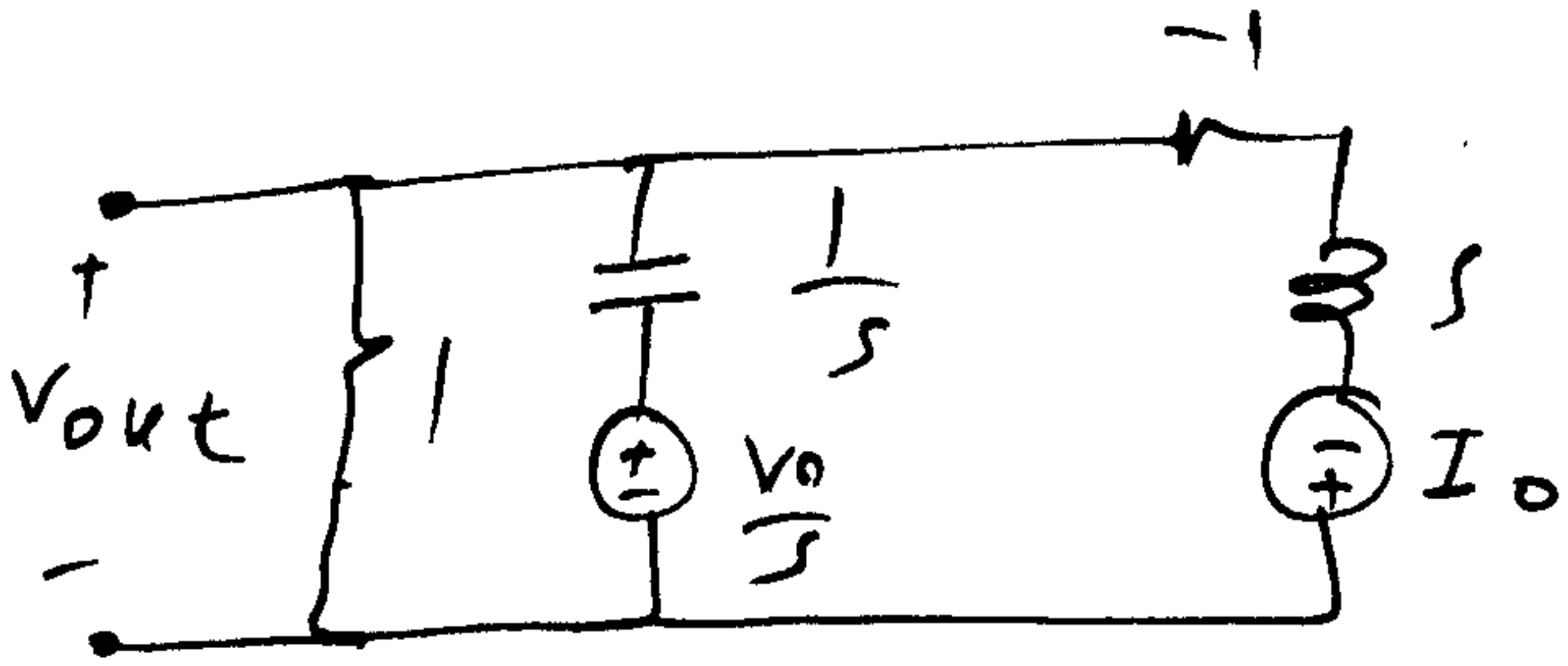
$$(Ls + 2)(1 - \epsilon s) - \epsilon = 0$$

$$Ls - \epsilon Ls^2 + 2 - 2\epsilon s - \epsilon = 0 \Rightarrow Ls^2 + 2 + (1-L)s = 0$$

مدار پایدار است \Rightarrow ضرایب معادله صفر

$$0 < L < 1 \Rightarrow (L) > 0, (1-L) > 0$$

۱- ترانسفر تابع معادله



$$\frac{K4}{s} \quad \frac{V_{out}t}{1} + s(V_{out} - \frac{V_0}{s}) + \frac{V_{out}t + I_0}{s-1} = 0$$

$$(s+1)V_{out} - V_0 + \frac{V_{out}t + I_0}{s-1} = 0$$

$$((s-1)+1)V_{out} = V_0(s-1) - I_0 \Rightarrow V_{out} = \frac{V_0(s-1) - I_0}{s^2}$$

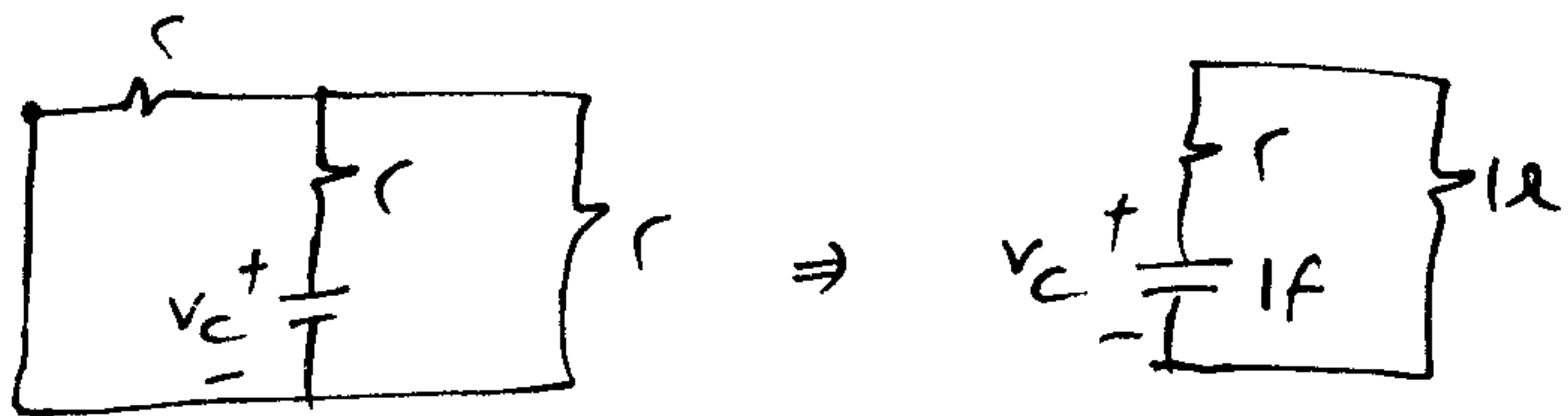
$$V_{out} = \frac{V_0}{s} - \frac{V_0 + I_0}{s^2} \Rightarrow V_{out} = V_0 - (V_0 + I_0)t$$

برای این که V_{out} در $t = \infty$ کراندار باشد باید داشته باشیم:

$$V_0 + I_0 = 0 \Rightarrow V_0 = -I_0$$

۲- ترانسفر تابع معادله

$0 < t < \ln(r)$

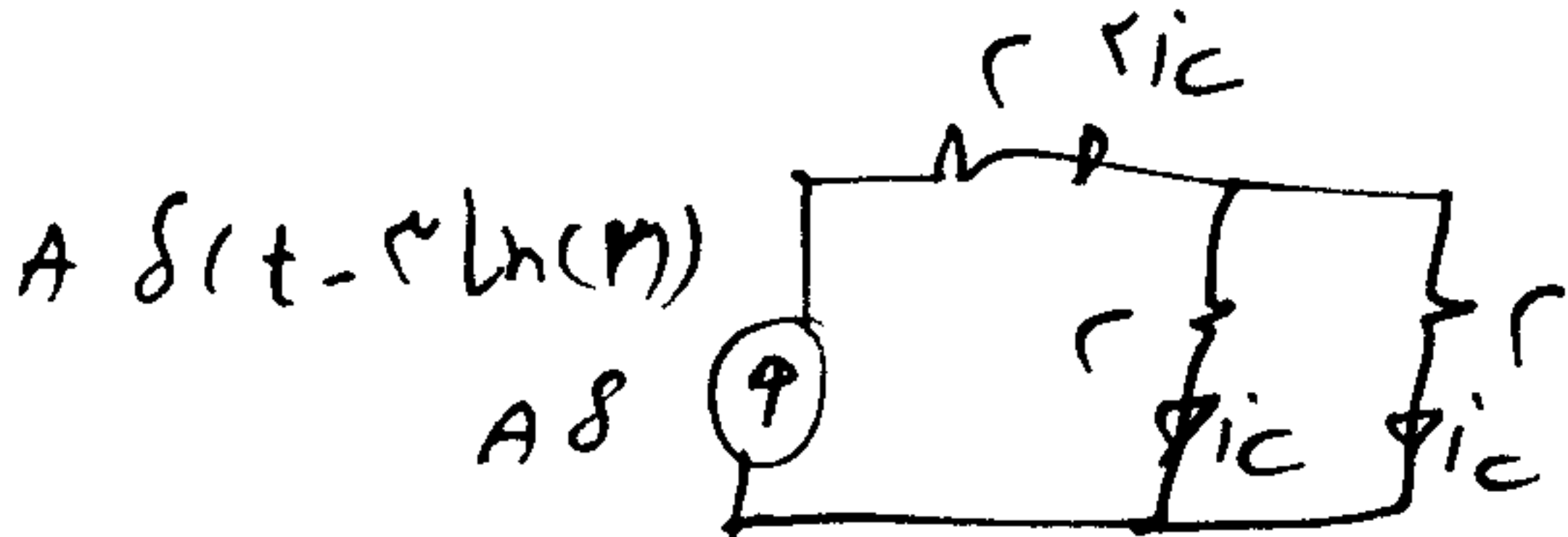


$$\Rightarrow \tau = r, \quad V_c(t) = V_c(0)e^{-\frac{t}{r}}$$

$$V_c(t) = r e^{-\frac{t}{r}}$$

$$V_c(\ln(r)) = r e^{-\frac{\ln(r)}{r}} = r e^{-\ln(r)} = r \left(\frac{1}{r}\right) = 1$$

در $t = \ln(r)$:



$$\Rightarrow A\delta = r i_c + r(i_c) \Rightarrow i_c = \frac{A}{2} \delta(t - \ln(r))$$

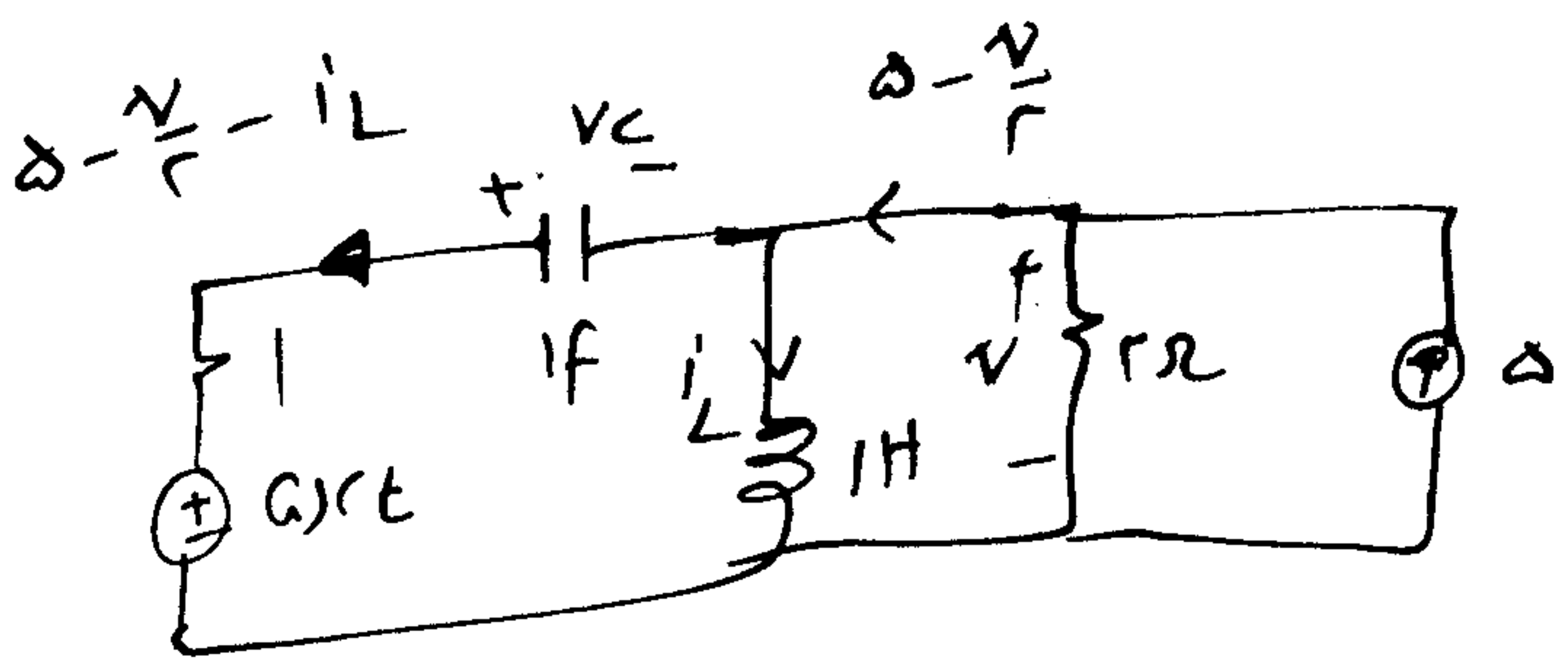
$$V_c(\ln(r^+)) - V_c(\ln(r^-)) = \frac{A'}{C} = \frac{\frac{A}{2}}{1} = \frac{A}{2}$$

$$V_c(\ln(r^+)) - 1 = \frac{A}{2} \Rightarrow V_c(\ln(r^+)) = 1 + \frac{A}{2}$$



$$i = 0 \Rightarrow V_c(\ln(r^+)) = 0$$

$$1 + \frac{A}{2} = 0 \Rightarrow A = -2$$

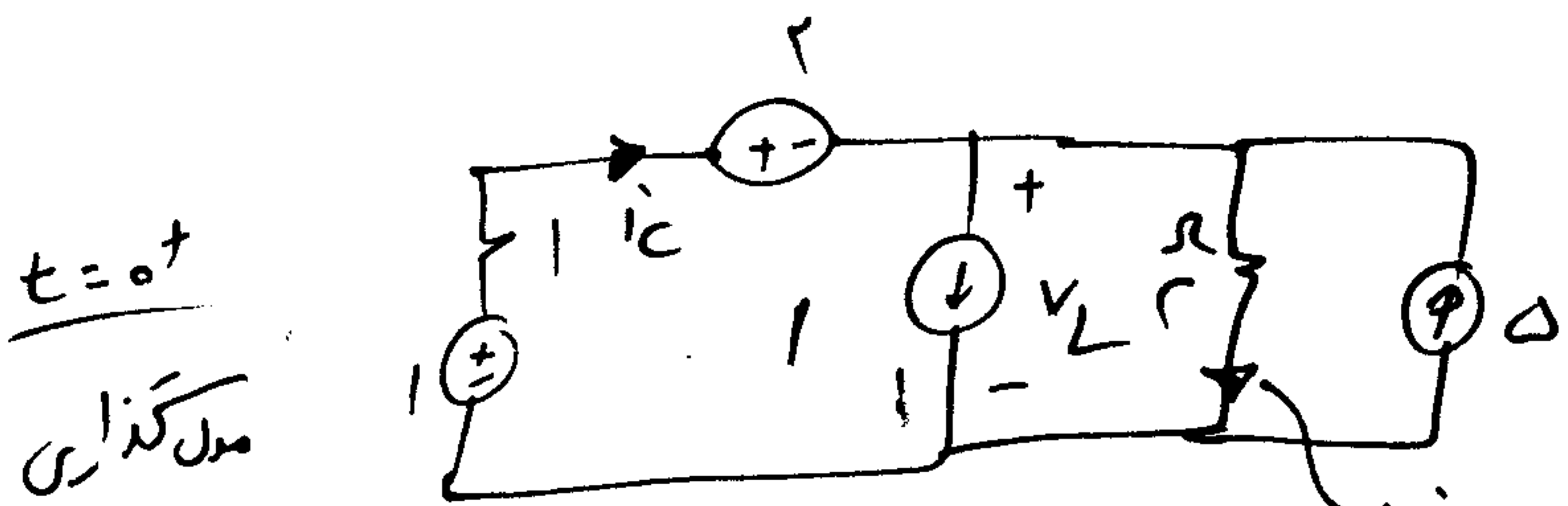


KVL $v = -v_c + 1(\delta - \frac{v}{r} - i_L) + GJrt$

$\delta v = \delta + GJrt - i_L - v_c \Rightarrow \delta v' = -\sin rt - i_L' - v_c'$

$\delta v'(0+) = 0 - i_L'(0+) - v_c'(0+) = -\frac{v_L(0+)}{L} - \frac{i_c(0+)}{C}$

$\delta v'(0+) = - (v_L(0+) - i_c(0+)) \Rightarrow v'(0+) = -\frac{L}{C} v_L(0+) + \frac{r}{C} i_c(0+)$



$i_c + \delta - 1 = i_c + \epsilon$

$1 = 1(i_c) + 1 + 2(i_c + \epsilon) \Rightarrow i_c = -1 \Rightarrow i_c(0+) = -1$

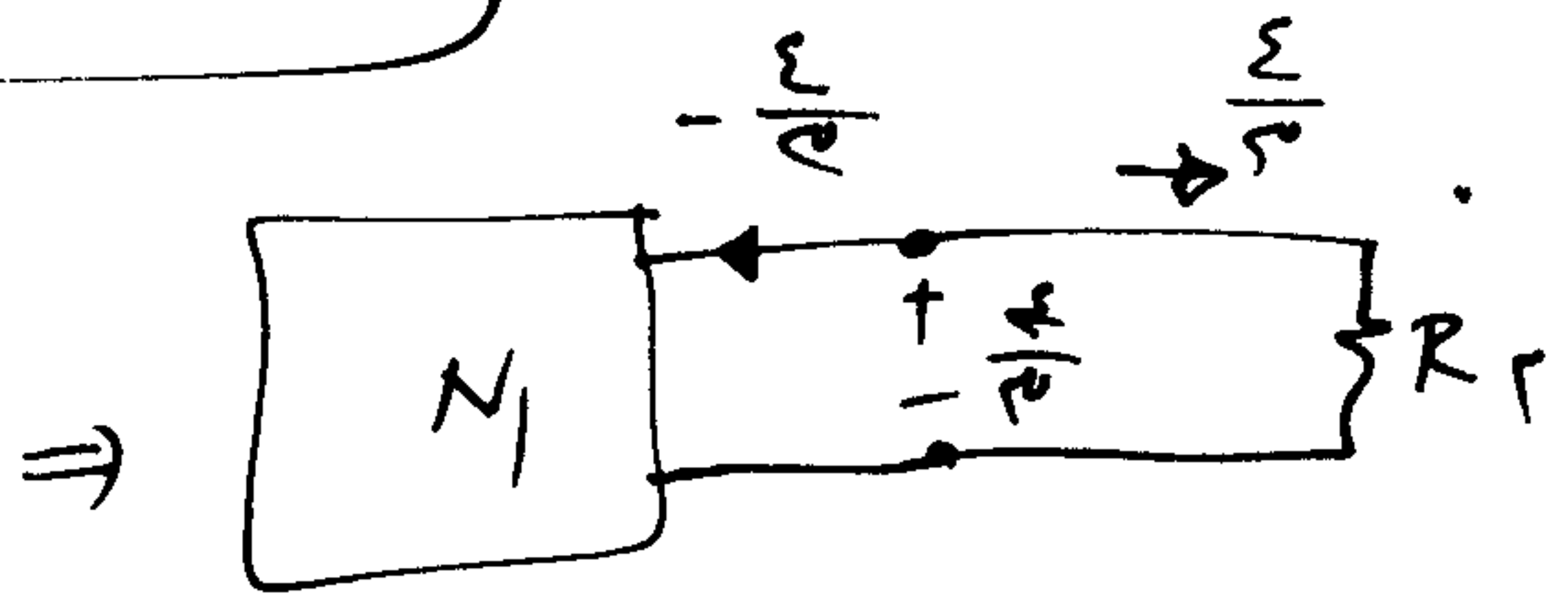
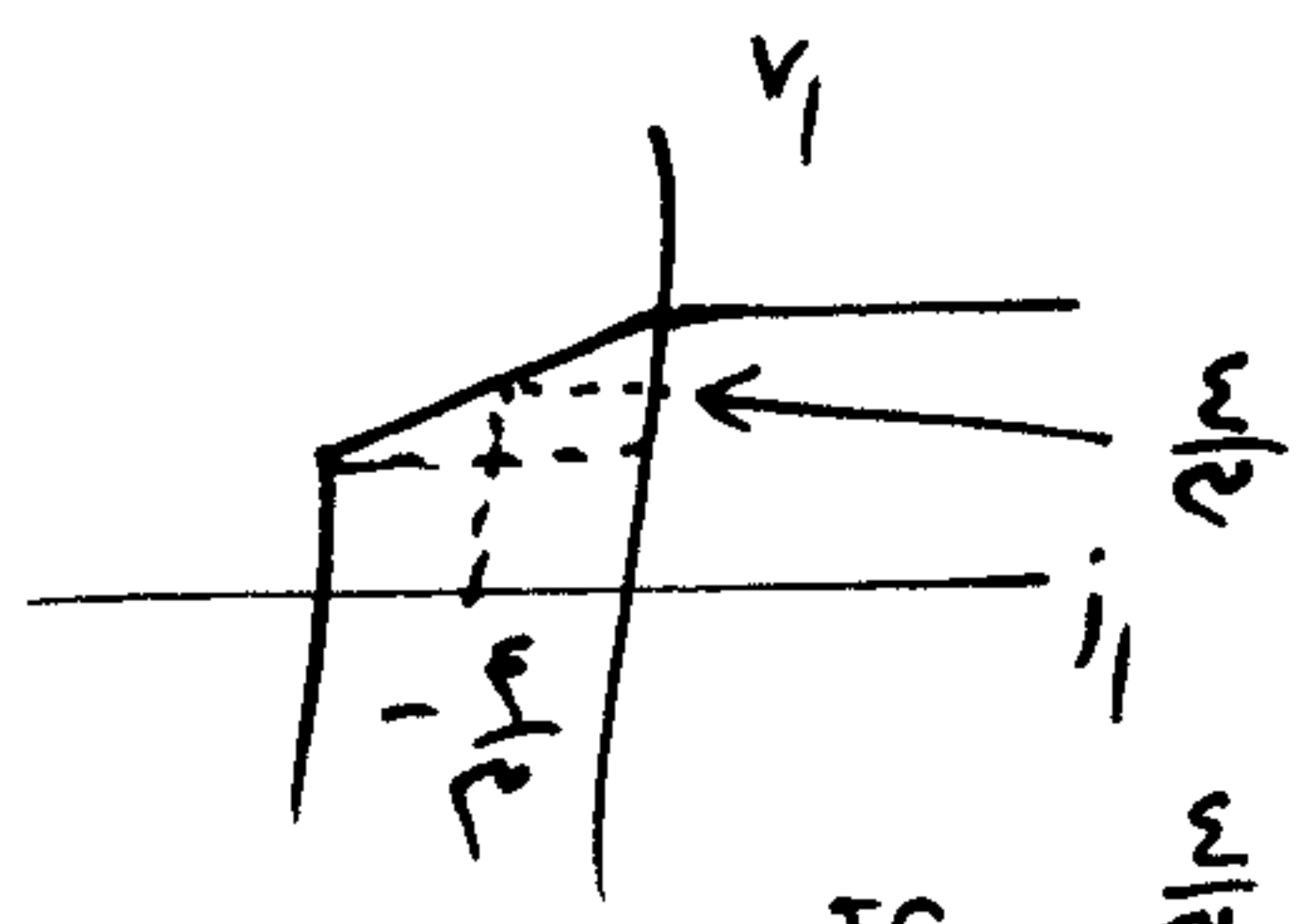
$v_L(0+) = 2(i_c(0+) + \epsilon) = 2(-1 + \epsilon) = 2$

$v'(0+) = -\frac{L}{C} v_L(0+) - \frac{r}{C} i_c(0+) = -\frac{L}{C} (2) - \frac{r}{C} (-1) = -\frac{2}{C}$

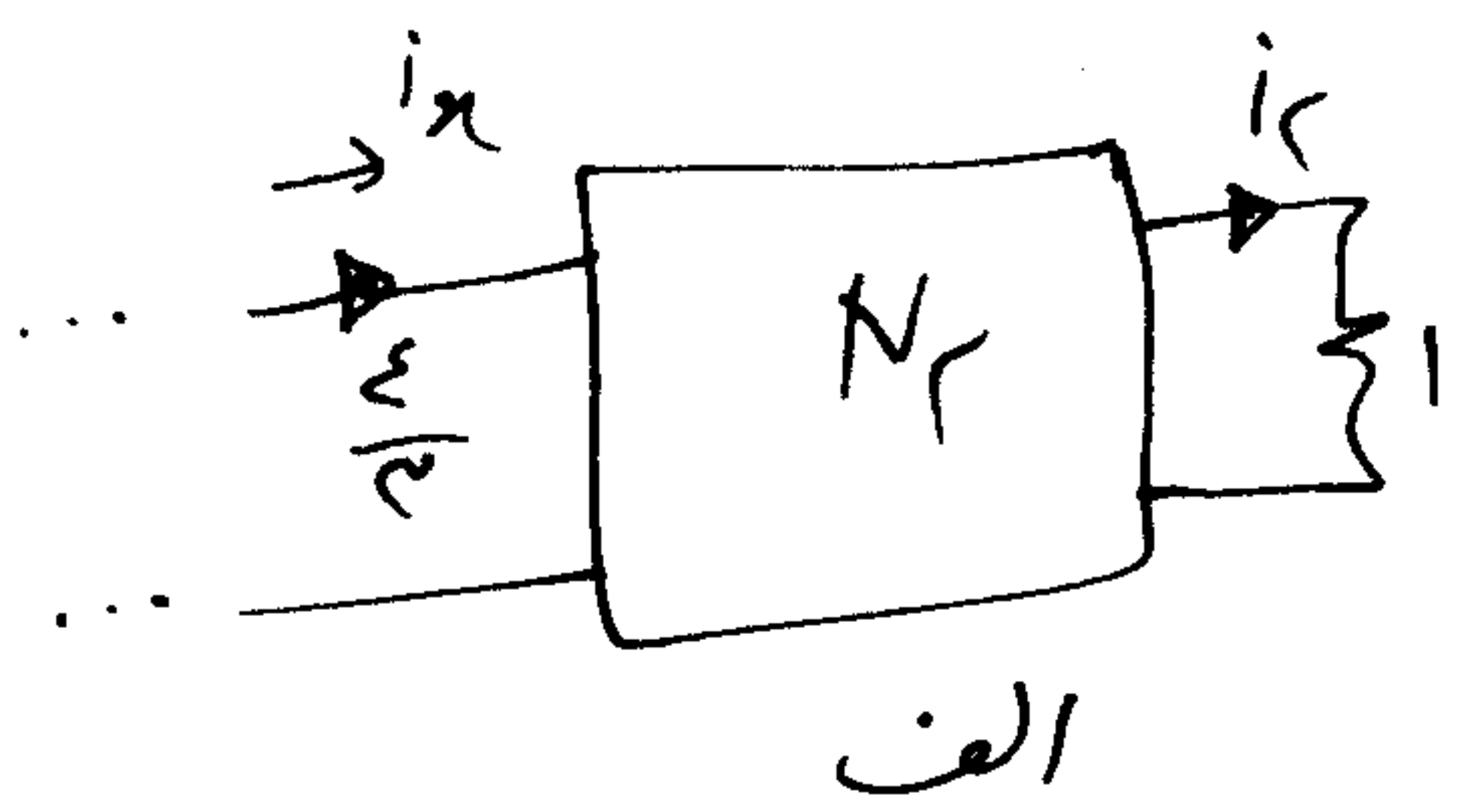
۱- ترانسفورماتور معیاری است.

فورا $v_1 = \frac{\epsilon}{C} \Rightarrow 1 < v_1 < 2 \Rightarrow v_1 = \frac{1}{C} i_1 + 2$

$v_1 = +\frac{\epsilon}{C} = \frac{1}{C} i_1 + 2 \Rightarrow i_1 = -\frac{\epsilon}{C} A$

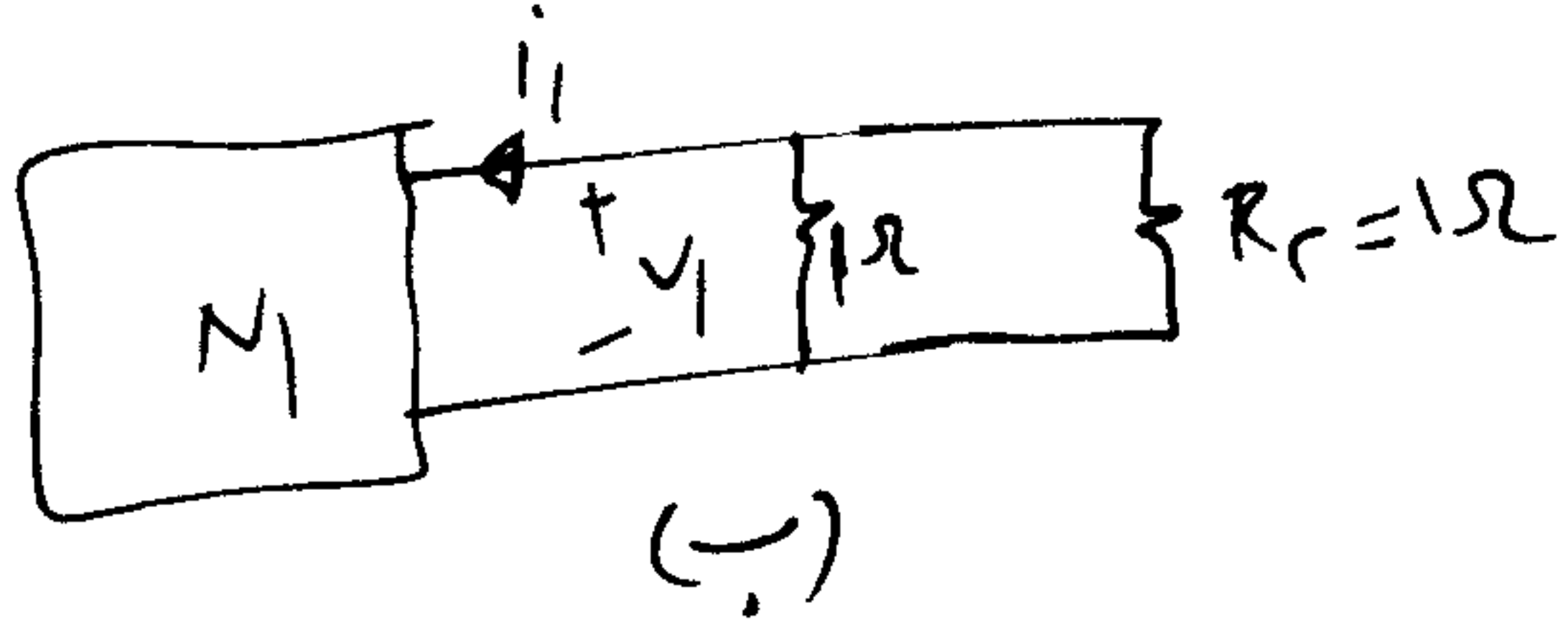


R_2 معادل شبکه مقاومتی N_2 است. لذا R_2 برابر 1Ω است. پس از دید ورودی N_2 به شبکه N_1 به صورت یک مقاومت 1Ω است. از طرفی در شکل مقابل جریان $\frac{\epsilon}{C}$ شبکه N_2 را تقرب می‌کند و لذا داریم:

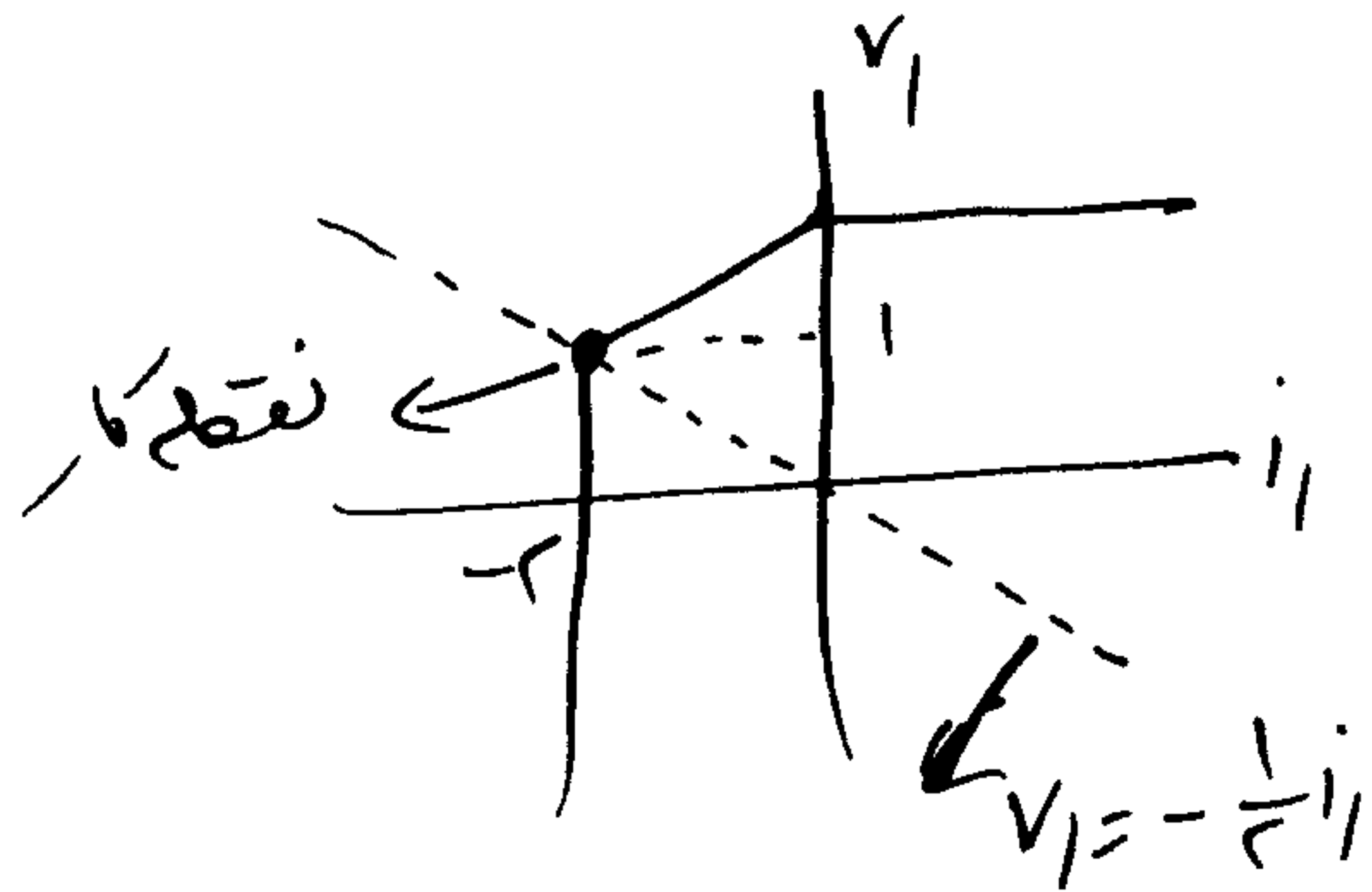


$$i_s = 1 = \alpha \cdot i_p = \alpha \cdot \frac{2}{3} \Rightarrow \alpha = \frac{3}{2}$$

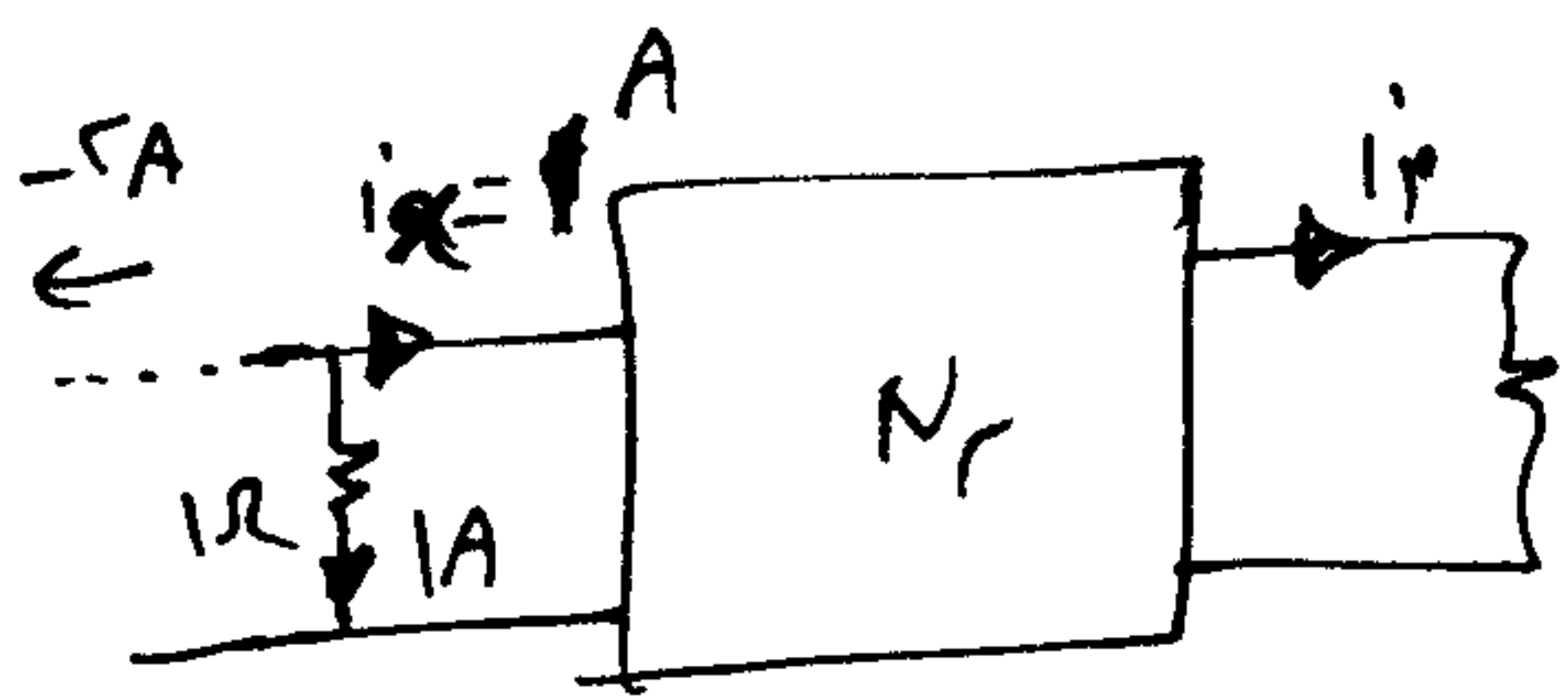
حال در سکت - در سکت:



$$i_1 + \frac{v_1}{1} + \frac{v_1}{1} = 0 \Rightarrow v_1 = -\frac{1}{2} i_1$$



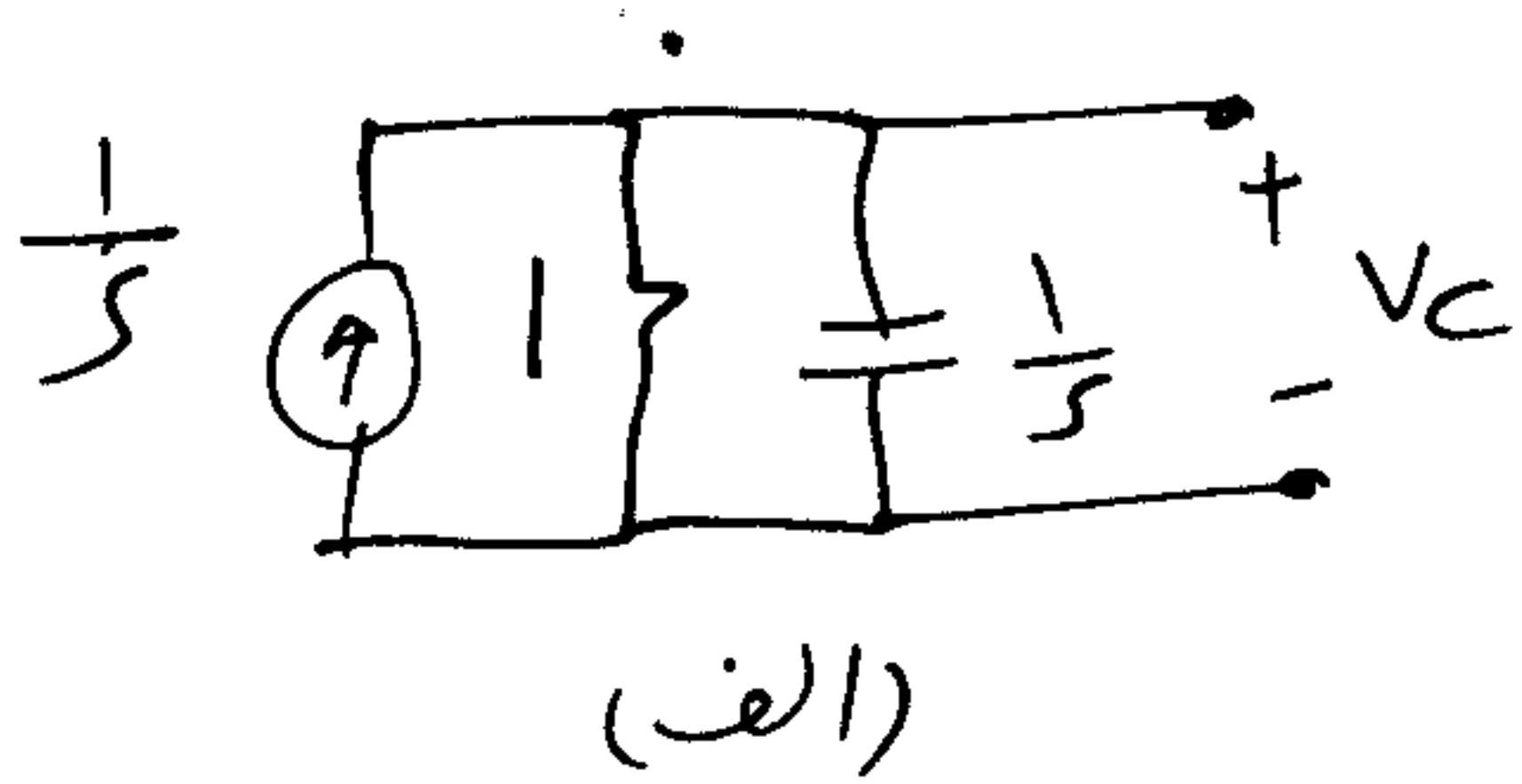
$$\Rightarrow v_1 = +1 \text{ و } i_1 = -2$$



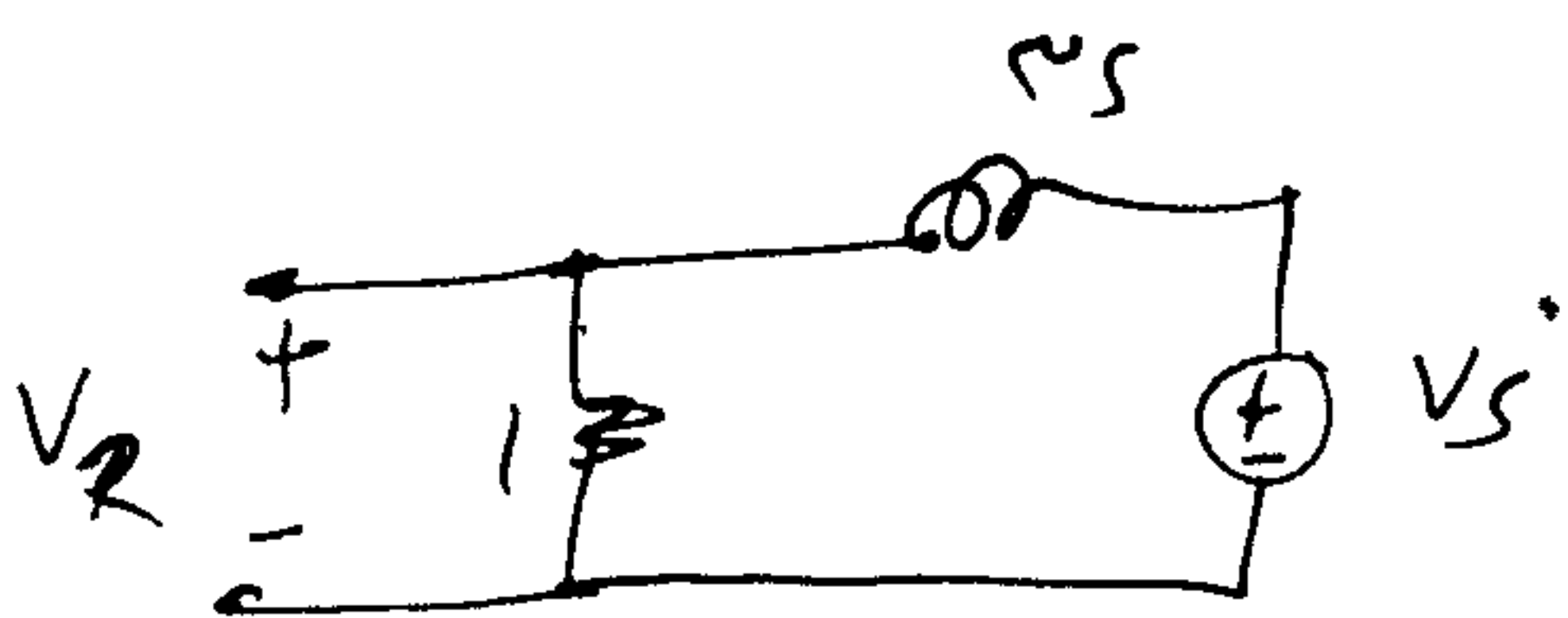
$$i_s = \alpha i_p = \alpha (1) = \frac{3}{2} (1) = \frac{3}{2}$$

در حالت - جریان ورودی به سکتی N_r برابر $1A$ است. حال آن که در آزمایش الف برابر $\frac{3}{2} A$ بوده است.

۱۲- گزینشی (الف)



$$\frac{1}{s} = v_c + s v_c \Rightarrow v_c = \frac{1}{s(s+1)}$$



$$v_r = v_c = \frac{1}{s(s+1)} = \frac{v_s (1)}{1+2s}$$

$$v_s = \frac{1+2s}{s(s+1)} = \frac{1}{s} + \frac{2}{s+1}$$

$$v_s(t) = (1 + 2e^{-t}) u(t)$$

موفق باشید.